#### THERMODYNAMICS PROCESSES

- Isothermal Process dt = -,  $\Delta U = 0$
- Isochoric Process  $\Delta V = 0$
- Adiabatic Process **∆9** = **0**
- Cyclic Process  $\Delta U_{cyclic} = 0$

#### THERMODYNAMICS PROPERTIES

#### INTENSIVE PROPERTIES P. T. N

Properties of the system which only depend on the Nature of matter

#### STATE FUNCTION

 $\Delta U. \Delta H. \Delta G$ Properties of the system which only depend on the Nature of matter

#### **EXTENSIVE PROPERTIES** (V. U. H)

Properties of the system which depend on the Path of the system

#### PATH FUNCTION HEAT WORK

Properties of the system which depend on the Path of the system

Surroundings

# THERMODYNAMICS

# ZEROTH LAW OF THERMODYNAMICS



# TYPES OF SYSTEM



# ENTHALPY

 $\Delta H = \Delta U + \Delta (PV)$ 

 $\Delta H = \Delta U + \Delta N_{a}RT$ 

ENTHALPY of reaction  $(\Delta N_H)$ Reactants  $\rightarrow$  Products

 $\Delta_r H = e \sum a_i H \text{ products} - \sum b_i H \text{ reactants}$ 

#### STANDARD ENTHALPY OF REACTIONS (AH°)

Standard enthalpy of fusion = $\Delta_{m}H^{\circ}$ 

Standard enthalpy of phase change  $\Delta_{\text{rus}} H^{\circ}, \Delta_{\text{vap}} H^{\circ}, \Delta_{\text{sup}} H^{\circ}$ Standard enthalpy of combustion  $\Delta_{\mathcal{H}}^{\circ}$ 

Standard enthalpy =  $\Delta_{hand} H^{\circ}$ 

Lattice enthalpy =  $\Delta_{\text{lattice}} H^{\circ}$ 

#### HESS' LAW CONSTANT HEAT SUMMATION



# HEAT CAPACITY

Universe

SYSTEM

Amount of heat required to raise the temperature of a system by 1°C. Molar heat capacity 1°C.

Molar heat capacity  $\Rightarrow$  9 = NC $\Delta$ T

Specific heat capacity  $\Rightarrow$  9 = mc $\Delta$ T

$$\begin{array}{c} \text{MEYERS'S} \\ \text{FORMULA} \\ \text{C}_{p} - \text{C}_{v} = \text{R} \end{array} \end{array} \begin{array}{c} \text{POISSON'S} \\ \text{RATIO} \\ \frac{\text{C}_{p}}{\text{C}_{v}} = \text{r} \end{array}$$

EORN HABER CYCLE  $Na^{+}(g) + Cl(g)$ 12∆<sub>₽₽№₫</sub>Н° Na<sup>+</sup>(9) + <mark>1</mark>2Cl(9)  $\Delta_{eg}H^{\circ}$ **Δ**H°  $Na^{+}(g) + \frac{1}{2}Cl(g)$  $Na+(g) + Cl^{-}(g)$ ∆<sub>sub</sub>H°  $Na^{+}(S) + \frac{1}{2}Cl(g)$  $\Delta_{Lottice} H^{\circ}$ **Δ<sub>c</sub>H**° NaCl(S)

HEAT (Q)

Exchange of energy due to temperature differnece.

#### INTERNAL ENERGY

Total evergy within the substance

FIRST LAW OF THERMODYNAMICS

ω°Λ

Law of conservation of energy total energy of an isolated system is constant.



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https://www.anandmani.com/

If two thermodynamics states are in thermal equilibrium with a third one. then they are in thermal equilibrium with each other.



GIBB'S ENERGY CHANGE

# **GIBB'S FREE ENERGY**

The net energy available to do useful work and is a measure of 'free energy'.

Standard free energy of a reaction:  $\Delta rG^{\circ} = \Sigma \Delta_{s}G^{\circ}_{Products} - \Sigma \Delta_{s}G^{\circ}_{reactants}$ 

GIDD'S - Helmholtz equation  $\Delta G^{\circ} = \Delta H^{\circ} - T \Delta S^{\circ} \Delta G^{\circ} = NFE_{cell}^{\circ}$ 

u u	DG < 0, rocess is equilibrium			equilidrium
	Sign of AH	Sign of AS	$\Delta \mathbf{G} = \Delta \mathbf{H} - \mathbf{T} \Delta \mathbf{S}$	Equilibrium reached
	Negative	PoSitive	Always Negative	SPONTANEOUS AT ALL TEMP
	PoSitive	Negative	Always Negative	Non-Spontaneous at all temperature
	PoStive	PoStive	+ve @ low temp.	Non-Spontaneous at all temperature
			-ve @ low temp.	Spontaneous at high temperature
	Medative	. Negative	-ve @ low temp.	SPONTANEOUS AT LOW TEMPERATURE
	IVEGUCIVE		+ve @ low temp.	Spontaneous at low

DG < 0. rocess is spontaneous

DG > 0. rocess is non-spontaneous







#### ENTROPY

This is the measure of the degree of randomness or disorder of the system.

 $\Delta S = \frac{q_{rev}}{T(Reversible Process)}$ 

 $\Delta S_{Total} = \Delta S_{Syestem} + \Delta S_{Surroundings}$ 

ENTROPY CHANGES during phase transformation

t.me/neetplus

$$\Delta_{\text{FUSion}} \mathbf{S} = \frac{\Delta_{\text{FUSion}} \mathbf{H}}{\mathbf{T}_{m}}, \Delta_{\text{vap}} \mathbf{S} = \Delta_{\text{vap}} \mathbf{S} = \frac{\Delta_{\text{vap}} \mathbf{H}}{\mathbf{T}_{m}}$$

$$\Delta_{\text{SUB}} \textbf{S} = \frac{\Delta_{\text{SUBS}} \textbf{H}}{\textbf{T}_{\text{M}}}$$

 $\Delta_{r} \mathbf{S}^{\circ} = \Sigma \mathbf{S}^{\circ}_{\mathbf{Products}} - \Sigma \mathbf{S}^{\circ}_{\mathbf{reactants}}$